

組別: _____ 簽名: _____

[group 4]

1. A semiconductor company wants to produce 1,000 good dies for sale.
Wafer area = 100 cm^2 ; cost per wafer = \$500.
Die area = 1 cm^2 ; defect rate = 0.2 defects/cm^2 .
Calculate the estimated manufacturing cost for 1,000 good dies using the yield model. Ignore wafer-edge losses and use average cost per good die (no whole-wafer rounding).

Ans:

Dies per wafer = Wafer area / Die area = $100 / 1 = 100$ dies

Yield = $1 / (1 + (\text{Defect rate} \times \text{Die area}) / 2)^2 = 1 / (1 + (0.2 \times 1) / 2)^2 = 1 / (1.1)^2 = 0.8264$

Cost per die = Cost per wafer / (Dies per wafer $\times$ Yield) = $500 / (100 \times 0.8264) = \6.05

Cost for 1,000 good dies = $6.05 \times 1,000 = \$6,050$

[group 8]

2. What are the advantages and disadvantages of using a multiprocessor system?

Ans:

Advantage

Breaks the power wall — can't lower voltage or remove more heat, so add cores to keep improving performance.

Disadvantages

Requires explicitly parallel programming (unlike ILP, which is hidden from the programmer).

Hard to do: load balancing, and optimizing communication and synchronization.

[group 3]

3. MIPS (millions of instructions per second) is not always an accurate metric for evaluating processor performance. Consider two processors executing the same task:
P1: clock rate = 4 GHz, average CPI = 0.8, instruction count = 2×10^9 .
P2: clock rate = 3 GHz, average CPI = 0.75, instruction count = 1×10^9 .
Which processor has the higher MIPS? Which has better overall performance?

Ans:

$$\text{MIPS} = (\text{Instret. count}) / (\text{Execution time} \times 10^6) = (\text{Instret. count}) / ((\text{Instret. count} \times \text{CPI}) / (\text{Clock rate} \times 10^6)) = (\text{Clock rate}) / (\text{CPI} \times 10^6)$$

$$\text{P1: MIPS} = (4 \times 10^9) / (0.8 \times 10^6) = 5 \times 10^3$$

$$\text{P2: MIPS} = (3 \times 10^9) / (0.75 \times 10^6) = 4 \times 10^3$$

P1 has the higher MIPS.

$$\text{Execution time} = (\text{Instret. count} \times \text{CPI}) / (\text{Clock rate})$$

$$\text{P1: Execution time} = (2 \times 10^9 \times 0.8) / (4 \times 10^9) = 0.4$$

$$\text{P2: Execution time} = (1 \times 10^9 \times 0.75) / (3 \times 10^9) = 0.25$$

P2 has the better overall performance.

[group 5]

4. According to Amdahl's Law, suppose 80% of a program's execution time can be improved. How much must the optimizable portion be sped up to achieve an overall speedup of 2 times?

Ans:

According to Amdahl's Law,

$$\text{Speedup}_{\text{overall}} = (1) / ((1-P) + (P) / (S))$$

where $P=0.8$, $\text{Speedup}_{\text{overall}}=2$, S is the speedup of the improved portion.

Therefore,

$$2 = (1) / (0.2 + (0.8) / (S))$$

$$S = (0.8) / (0.3) = (8) / (3) \approx 2.67$$

Answer: The optimizable portion must be sped up by approximately 2.67×.

[group 5]

5. What are three fundamental design principles of instruction set architecture (ISA) discussed in class? Which principle explains why MIPS uses a relatively small number of general-purpose registers (32 registers)?

Ans:

Three fundamental design principles are:

I. Simplicity favors regularity

II. Smaller is faster

III. Make the common case fast

MIPS uses only 32 general-purpose registers mainly because of:

Principle II: Smaller is faster.

A smaller register file generally allows faster access and can simplify hardware implementation.

[group 4]

6. Why does MIPS use registers for arithmetic operations instead of operating directly on memory?

Ans:

Because registers are faster than memory and allow arithmetic instructions to execute more efficiently.

Memory data must first be transferred using instructions like lw and sw.

[group 8]

7. Why do we need an immediate operand in ISA? What are its advantages?

Ans:

Why

Small constants are used frequently — 50% of operands.

Avoids loading the constant from memory.

Design Principle 3: make the common case fast.

Advantages

No extra load instruction — fewer instructions.

No memory access, so faster.

[group 1]

8. Translate the following C statement into MIPS assembly:

$f = (g - h) + (i - j) + (k - 10);$

Assume f, g, h, i, j, k are in $\$s0, \$s1, \$s2, \$s3, \$s4, \$s5$, respectively.

Ans:

Sol(1):

sub $\$t0, \$s1, \$s2$ # $\$t0 = g - h$

sub $\$t1, \$s3, \$s4$ # $\$t1 = i - j$

add $\$s0, \$t0, \$t1$ # $\$s0 = (g - h) + (i - j)$

addi $\$t2, \$s5, -10$ # $\$t2 = k - 10$

add $\$s0, \$s0, \$t2$ # $\$s0 = (g - h) + (i - j) + (k - 10)$

Sol(2)

(Use as less temporary registers as possible)

sub $\$s0, \$s1, \$s2$ # $f = g - h$

sub $\$t0, \$s3, \$s4$ # $\$t0 = i - j$

add $\$s0, \$s0, \$t0$ # $f = (g - h) + (i - j)$

addi $\$t0, \$s5, -10$ # $\$t0 = k - 10$

add $\$s0, \$s0, \$t0$ # $f = ((g - h) + (i - j)) + (k - 10)$

[group 2]

9. 已知 C 語言交換兩個整數的程式為 $\text{temp} = a; a = b; b = \text{temp};$

(1) 若 a, b 分別在 $\$t0, \$t1$, 使用 add 與 $\$zero$, 至少需要幾條指令完成交換? 請寫出指令。

(2) 若交換的是 $A[7], A[8]$, 陣列 A 的起始位址在 $\$s0$, 且每個整數佔 4 bytes, 請用 lw、sw 寫出指令。

Ans:

add $\$t2, \$t0, \$zero$

add $\$t0, \$t1, \$zero$

add $\$t1, \$t2, \$zero$

lw $\$t0, 28(\$s0)$

lw $\$t1, 32(\$s0)$

sw $\$t1, 28(\$s0)$

sw $\$t0, 32(\$s0)$

[group 12]

10. C code: $A[12] = h + A[8];$

A is an integer array with 4 bytes per element. h is in \$s2, and the base address of A is in \$s3.

Compiled MIPS code:

lw \$t0, X(\$s3)

add \$t0, \$s2, \$t0

sw \$t0, Y(\$s3)

為什麼 X、Y 分別等於 32、48，而不是 8、12？

Ans:

因為lw跟sw的offset是位移了「幾個 bytes」而非陣列的index，又因為一個int是佔4 bytes，所以才需將8跟12都乘上4。

[group 10]

11. Consider the following C program:

$A[5] = A[2] + B[3] - h;$

$B[6] = A[5] + B[1];$

The base addresses of A and B are in \$s0 and \$s1, respectively; h is in \$s2.

\$s0 = 1000, \$s1 = 2000, h = 7. Each integer occupies 4 bytes.

Initial memory contents (address: value):

1008: 20; 1020: 0; 2004: 6; 2012: 15; 2024: 0.

What value is stored at memory address 2024 after execution?

Ans:

Since one integer occupies 4 bytes: $\text{Address}(A[i]) = 1000 + 4i$ and $\text{Address}(B[i]) = 2000 + 4i$

First, $\text{Address}(A[2]) = 1000 + 2(4) = 1008$ From the given memory contents: $A[2] = 20$

Also, $\text{Address}(B[3]) = 2000 + 3(4) = 2012$ so: $B[3] = 15$

The first statement is: $A[5] = A[2] + B[3] - h;$

Therefore: $A[5] = 20 + 15 - 7 = 28$

So the value stored at $A[5]$, whose address is $1000 + 5(4) = 1020$ becomes 28.

Next: $B[6] = A[5] + B[1];$

The address of $B[1]$ is: $2000 + 1(4) = 2004$ and therefore: $B[1] = 6$

Thus: $B[6] = 28 + 6 = 34$

The address of $B[6]$ is: $2000 + 6(4) = 2024$

Therefore: The value stored at memory address 2024 is 34